

# Anderson Bridge

**Object.** To determine the value of self-inductance (L) of a coil by using Anderson bridge.

**Apparatus.** Resistors, capacitor, inductor, detector, switch, a.c. supply, key, connection leads and multimeter.

**Theory.** The Anderson bridge is shown in fig. (1). It is commonly used to determine the self-inductance (L) of a coil in terms of known capacitance (C) and resistances. In AC balanced bridge condition, the potential at point E is the same as that at of point D. Therefore, equating the potential drop across ABC to that across ADC, we write;

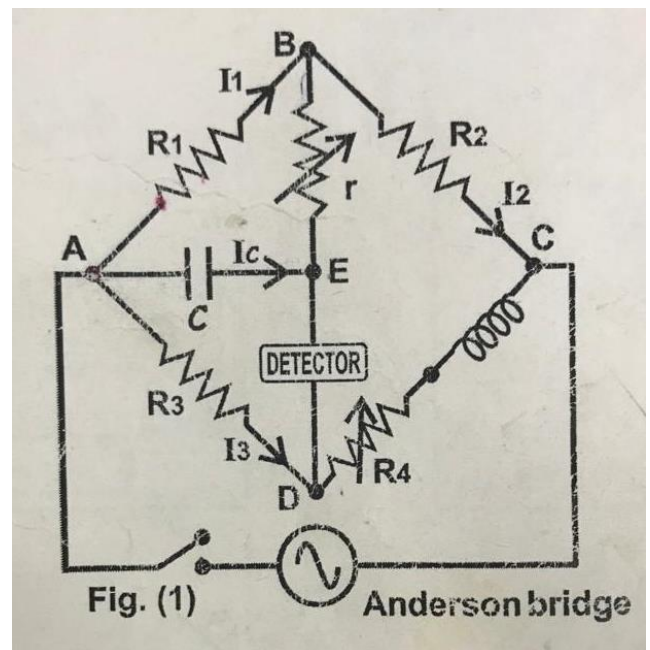
$$I_1 R_1 + (I_1 + I_C) R_2 = I_3 (R_3 + R_4 + j\omega L) \dots\dots\dots (1)$$

In circuit ABEA, since there is no source, therefore applying Kirchoff's Voltage Law, we get:

$$I_1 R_1 - I_C (r + 1/j\omega C) = 0 \dots\dots (2)$$

Equating potential drop across AE to that across AD, we write:

$$I_C / j\omega C = I_3 R_3 \dots\dots\dots (3)$$



Substituting  $I_3$  from relation (3) into relation (1) and equating the real and imaginary parts, we get:

$$\frac{R_1}{R_2} = \frac{R_3}{R_4} \quad \dots\dots\dots(a) \text{ and}$$

$$L = C [ R_2 R_3 + r (R_3 + R_4)] \dots\dots\dots (b)$$

The equation (a) gives DC Wheat Stone Bridge Condition and is satisfied by using DC source and detector, while equation (b) gives the value of (L) by using AC source and detector.

**Procedure.**

1. **Before connecting the circuit:** Set digital multimeter at proper  $k\Omega$  range. Connect the leads of multimeter across the ends (D and C points) of  $R_4$  & L. Now adjust pot-1 such that  $R_4 = R_1 = R_2 = R_3$ . Record the value of  $R_4 = \dots\dots\dots k\Omega$ .

**Caution: Do not disturb the pot-1  $R_4$  for this setting.**

**Note: This satisfies the DC Wheat Stone bridge condition.**

2. Connect the circuit on the experimental board by using the first combination in observation table.
3. Switch on the power supply.
4. Now vary pot -2 (r) carefully and keep an eye on the voltmeter ( $V_{AC(p-p)}$ ) so that the voltmeter shows the minimum deflection for a value of  $r$ .

**Caution: Do not disturb the pot-2 (r) for this setting.**

5. To measure the value of **r**; remove all the connection made in step 2. Now use the digital multimeter in proper  $k\Omega$  range across the pot- **r**. Record the value of **r** =.....  $k\Omega$ . Also record the values of **C** =.....  $\mu F$ , **R**<sub>1</sub> = .....  $k\Omega$ , **R**<sub>2</sub> =.....  $k\Omega$ , **R**<sub>3</sub> = .....  $k\Omega$  and **R**<sub>4</sub> = .....  $k\Omega$ .

6. Calculate the value of **L** in henry (H) by using following relation by substituting **C** in farad (F) and resistance values in  $\Omega$ :

$$L = C [R_2 R_3 + r (R_3 + R_4)] = \dots\dots\dots H$$

7. Repeat the steps 1 to 6 for all the combinations given in the observation table given below.

**Observations.**

S. No.	Given value					Expt. value r ( $k\Omega$ )	Calculated value Inductance (L) (henry H)
	C ( $\mu F$ )	R <sub>1</sub> ( $k\Omega$ )	R <sub>2</sub> ( $k\Omega$ )	R <sub>3</sub> ( $k\Omega$ )	R <sub>4</sub> ( $k\Omega$ ) (Set using multimeter)		
1.	0.01	1	1	1	1		
2.	0.047	1	1	1	1		
3.	0.01	2	2	2	2		
4.	0.047	2	2	2	2		

Mean value of Inductance (L) = ..... H.

### **Result.**

1. The calculated values of L for different values of C and R are almost equal.
2. This shows that the bridge is quite sensitive to determine the value of L.
3. The balanced bridge condition is more accurately decided by AC detector.
4. The sensitivity of hearing is highly individual.

### **Precautions.**

- (i) The capacity of condenser should be low, otherwise it will be difficult to obtain balance with the AC source because from  $L = C [ R_2 R_3 + r (R_3 + R_4) ]$ , it is clear that  $L > CR_2R_3$ .
- (ii) The impedance in the four arms of the circuit should be nearly equal.
- (iii) While obtaining the a. c. balance, the balance obtained with the multimeter (i.e., the value of  $R_4$ ) should not be disturbed.

### **Viva-Voce**

#### **Q. What is the principle of your experiment?**

Ans. In this experiment, the self- inductance of coil is compared with the capacity of a standard condenser on the principle of Wheatstone bridge.

#### **Q. You perform your experiment once with a DC source, and then with AC source. Why?**

Ans. With the DC source, the ohmic resistance of the inductive coil is calculated while with the AC source, the self-inductance of coil is calculated. With the DC

source no e.m.f. is induced in the coil because in this part of experiment, the current in circuit gets established on pressing the cell key first and then on pressing the galvanometer key there is no change in the magnetic flux linked with the coil. But with the AC source, an e.m.f. is induced with the coil which is balanced by the e.m.f. across the condenser and the resistance  $r$  connected in the ratio arm CD.

**Q. Can we use the same galvanometer with the AC source, instead of headphone?**

Ans. No. Because for AC, the mean deflection of galvanometer always remains zero whether current flows through it or not.

**Q. Can you perform this experiment at a high frequency?**

Ans. No. The reason is that at a high frequency, the inductive reactance will be quite high and it will not be possible to keep the impedance of other arms of post-office box, of the same order.